Problem: CM1

Area: Computers and Architecture

Code #_____

Define stored-program concept. Give at least 3 advantages of this architecture, and corresponding applications/systems.

Problem: CM2	Area: Computers and Architecture	Code #
	implementations (Machine A and machine B, namely program which has 1 million instructions,	y) of the same instruction set
Machine A has a clock	cycle time of 100ps and an average CPI of 4.0.	
Machine B has a clock	cycle time of 130ps and an average CPI of 3.0.	
a. What machine is fas	ster for this program, and by how much?	
	driving the given machine with faster clock speed) oute should be used to execute the given program to a nine?	

Answer the following questions.

1. Name three different hazard types of pipelined processors.

2. For the five stage MIPS pipeline processor, Indicate which of the following instructions will generate hazard, and what type of hazard?

ADD R1, R3, R4 ADD R5, R6, R7 SUB R8, R1, R7 OR R9, R7, R6

3. If there is a hazard in 2, could it be handled using forward path? If so, please indicate the forward path. If not, please explain why.

Problem: CM4

Area: Computers and Architecture

Code #_____

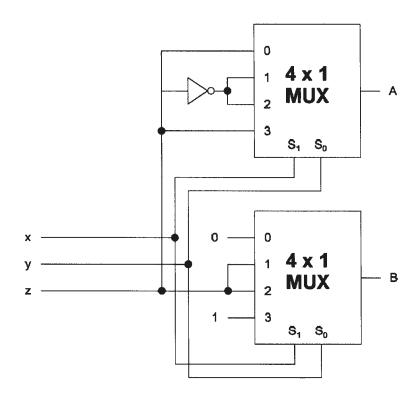
Below is a list of 32-bit memory address references, given as word addresses.

3, 180, 43, 2, 191, 88, 190, 14, 181, 44, 186, 253

For each of these references, identify the binary address, the tag, and the index given a direct-mapped cache with two-word blocks and a total size of 8 blocks. Also list if each reference is a hit or a miss, assuming the cache is initially empty.

Answer the following questions regarding combinational logic.

a) Determine the outputs functions A and B as sums of minterms. You may use any process to determine the result, but show your work.



b) The circuit shown in a) has the functionality of a commonly used arithmetic component. What does the circuit do and what are other names for A and B?

Design a circuit (combinational, not sequential) that takes an unsigned 2-bit number, $X=X_1X_0$, and computes the square of that number, $Y=X^2$.

Answer the following questions.

- a) How many outputs do you need?
- b) Show the truth table for this combinational circuit. Name the outputs Y_n , ..., Y_1 , Y_0 (with n depending on what you have determined in a).

c) Determine the minimized output functions.

Problem: CM7

Area: Integrated Circuits and Logic Design

Code #_____

Design a 2-bit up/down counter with rollover (i.e. counting up 0-1-2-3-0... and down 3-2-1-0-3...). The counter is controlled by signal C, where C = 0 means counting down and C = 1 means counting up. Use JK flip-flops in your design and show all steps for full credit.

Problem: CM8

Area: Integrated Circuits and Logic Design

Code #_____

Draw the 2-input NAND and 2-input NOR implementation of the following function: $F(A,B,C)=A\bar{B}+BC+A\bar{C}$.

Problem: CM9	Area: Embedded Computer Systems	Code #	
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Assume you are given an 8-bit timer. If 12MHz crystal clock frequency is used to drive the given timer and one timer tick is equivalent to 12 crystal clock periods, what would be an appropriate timer initialization value (i.e., 8-bit binary word) to achieve 1ms delay? Show your work clearly.

Problem: CM10 Area: Embedded Computer Systems Code #_____

Assume that you have an 8051 microcontroller with a 12 MHz operation. Write an assembly language program to create a 83.3 kHz square wave on P1.0. Timers or interrupts are not required for this assembly language program. Show your work for the timing involved for: 1) executing each instruction and 2) generating the time delay associated with the 83.3 kHz square wave.

Area: Embedded Computer Systems

Code #_____

Problem: CM11

(c) conditionals

Proble	n: CM12	Area: Embedded Computer Systems	Code #
Answer	the following	r	
a)	What does t	he baud rate measure in serial communication?	
b) system.		what interrupts are and (b) what advantage they give u	s when designing a digital
MOV ar	te the numbered NOP cons	unction used in embedded systems programming is the of machine cycles the following function consumes. The system of the consume 1 cycle while the other instructions all consume 2 for and, if the register is not zero, jump to the indicated	Include overhead. (Note: . The DJNZ instruction will
DELAY	:MOV R3, #5	0	
OUT:	MO	√ R2, #100	
IN:	NOF		
		DJNZ R2, IN	
		DJNZ R3, OUT	
RET			
Answer	=		

Problem: CM14 Area: Computational Intelligence Code #_____

Explain Particle Swarm Optimization. Cover the motivation, pseudocode or flowchart, and where and how it may be used.

Problem: CM15

Area: Computational Intelligence

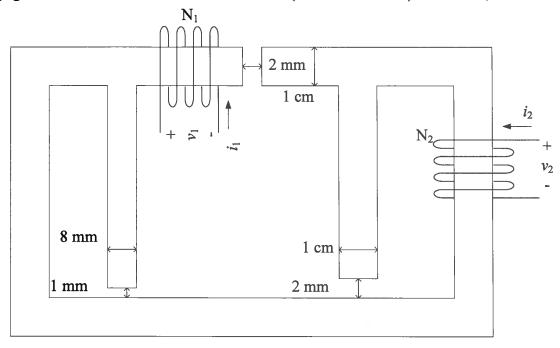
Code #_____

Describe the use of alpha-cuts and defuzzification in Fuzzy Logic, and what this is good for.

Problem: CM16 Area: Computational Intelligence Code #_____

Describe overfitting. Is it desirable or undesirable? Why? What does one do to achieve or prevent it? Give plenty of detail. A right answer without sufficient supporting details won't get many points.

Consider the magnetic structure drawn below. The steel has infinite permeability. Depth into the page is 1.5 cm. Other dimensions are shown (NOT TO SCALE). N1 = 300, N2 = 100.



- a. Draw the magnetic equivalent circuit. Mark all polarities, and find all reluctances numerically. Recall that $\mu_0=4\pi\times 10^{-7}$ H/m.
- b. Determine the inductance matrix for the device that relates λ_1 and λ_2 to i_1 and i_2 .

Problem M.2

Power/Machinery

Code #

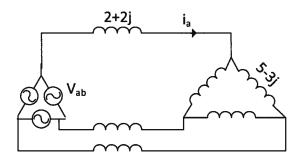
A certain magnetic structure has the following λ -i relationship:

$$\begin{bmatrix} \lambda_1 \\ \lambda_2 \end{bmatrix} = \frac{1}{g} \begin{bmatrix} 17.7 \times 10^{-6} & 11.8 \times 10^{-6} \\ 11.8 \times 10^{-6} & 53.1 \times 10^{-6} \end{bmatrix} \begin{bmatrix} i_1 \\ i_2 \end{bmatrix}$$

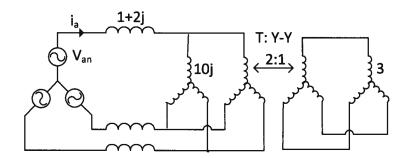
Notice that there are two coils and one air gap.

- a. Determine the co-energy $W'_{fld}(i_1, i_2, g)$.
- b. Taking g as the position variable, determine the force acting to close the air gap $f_{fld}(i_1,i_2,g)$.
- c. Suppose that the two coils are wired in series (that is, $i_1 = i_2$) and that we would like to use this device as a clamp. We are clamping a non-magnetic object with thickness 1 mm in the air gap. Determine the current needed to achieve 20 N of clamping force.

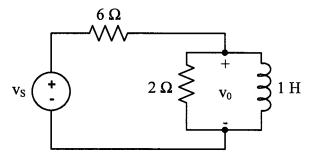
Calculate the power delivered by the 3-phase source for the following system (sources, lines, and loads are balanced): V_{ab} = 200 \angle (0.5 radian) V. Calculate P_{load} , I_a , $V_{load\ ab}$, P_{source}



Q2. Calculate the current of the source (i_a) in the following circuit. The ratio of the 3-phase Y-Y transformer is 2:1. Loads, lines, and sources are balanced. The Y load is 3 ohms per-phase. The Y reactance is 10j ohms per-phase. $V_{an} = 110 \angle (0.2 \text{ radian}) \text{ V}$



For the following circuit:



- Find the transfer function $H(j\omega) = \frac{V_0}{V_s}$.
- Plot $\left|\mathbf{H}\left(\mathbf{j}\omega
 ight)
 ight|$ vs. ω . Clearly label your axes and indicate the maximum value.
- Find the steady-state output, $v_0(t)$, if $v_s(t) = 3\sin(2t) + 5\cos(10t + \frac{\pi}{6})V$.

Problem: M9

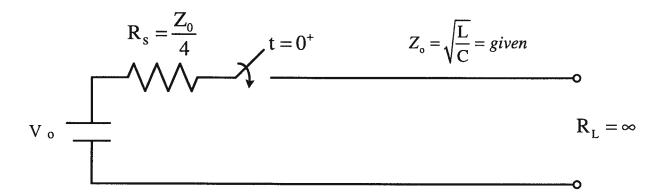
Area: Waves, Devices, & Optics

Code #:____

Find the Electric Field, \overline{E} , at a point a radial distance of R away from the following charge distributions. All charge distributions are located in freespace. In addition (for parts b and c), find ρ_s and ρ_v . For full credit, show all of your work.

- a. A point charge, Q (C), located at the origin.
- b. A constant surface charge density, $\rho_s(C/m^2)$, of radius, 'a' (where R > a), located at the origin, containing total charge, Q.
- c. A constant volume charge density, ρ_{ν} (C/m³), of radius 'b' (where R > b), located at the origin, containing total charge, Q.

Referring to the transmission line of intrinsic impedance Z_0 in the right figure, the DC source voltage is V_0 with an internal resistance of $R_s = Z_0/4$. The switch is turned on at $t = 0^+$. The load resistance is $R_L = \infty$ (that is "open-circuited"). Through the use of a proper bounce diagram, plot the value of voltage at the source point as function of time up to 6 times the transit time from the source to the load. What is the steady-state value of the voltage?



Consider a silicon (Si: a Col. IV material)) abrupt-junction pn diode in which only donors are on the n-side and only acceptors are on the p-side. The doping concentrations for the n and p sides are $N_{d(n)}^{+} = (1.00 \text{ x} 10^{15}) \text{ cm}^{-3}$ and $N_{a(p)}^{-} = (1.00 \text{ x} 10^{16}) \text{ cm}^{-3}$. T = 300 K. The diode has uniform cross-sectional area. Important physical constants are:

Boltzmann's constant: $k = 1.38 \times 10^{-23} \text{ J/K} = 8.62 \times 10^{-5} \text{ eV/K}$

Planck's constant: $h = 4.14 \times 10^{-15} \text{ eV-s}$ Electronic charge: $q = 1.60 \times 10^{-19} \text{ C}$

Carrier Mobilities $\mu_n = 1350 \text{ cm}^2/\text{V-s}$ $\mu_p = 480 \text{ cm}^2/\text{V-s}$

Bandgap Energy of Si $E_g = 1.11 \text{ eV}$

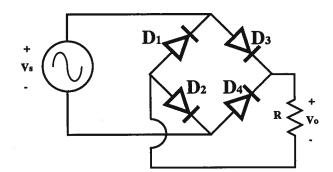
Intrinsic Carrier Concentration $n_i = 1.50 \times 10^{10} \text{ cm}^{-3}$ at 300 K

(a) Calculate the Fermi levels on each side of the junction in eV relative the intrinsic levels. For the p side

For the n side

(b) Calculate the contact potential V_0 and the ratio x_{n0} / x_{p0} , i.e. the ratio of how far the depletion region extends into each side of the junction.

(c) For each diode, let the turn-on voltage be $V_{to}=0.70~V$ and the reverse saturation current be 0.50 mA. In the circuit, the parameters are $R=2,000~\Omega$ and $V_S=+10~\sin(10t)~V$. For the maximum source voltage, calculate the resistor current I_R and the current supplied by the source I_S (passive sign convention).



A discrete-time control system is described by

$$\begin{bmatrix} Y_1(z) \\ Y_2(z) \end{bmatrix} = \begin{bmatrix} \frac{z - 0.3}{z^2 - 0.6z + 0.05} \\ \frac{z + 0.3}{z - 0.1} \end{bmatrix} U(z)'$$

where $U_1 = Z[u]$, $Y_1 = Z[y_1]$, and $Y_2 = Z[y_2]$ are the one input and the two output variables, respectively. Obtain a state-space representation of the system with minimal number of state variables.

Consider the following discrete-time system

$$x(k+1) = \begin{bmatrix} 0.6 & 0.3 \\ -1.2 & -0.6 \end{bmatrix} x(k) + \begin{bmatrix} b_1 \\ b_2 \end{bmatrix} u(k),$$

$$y(k) = \begin{bmatrix} c_1 & c_2 \end{bmatrix} x(k)$$

Where u, x, and y are the input, state and output variables respectively.

- 1. Determine the conditions for b_1 and b_2 such that the system is reachable (30%)
- 2. Determine the conditions for b_1 and b_2 such that the system is controllable but not reachable.(40%)
- 3. Determine the conditions b_1 and b_2 such that the system is not controllable.(30%)

Problem M15

Area: Control

Code#_____

Consider the third-order system with the differential equation

$$\frac{d^3y}{dt^3} + 5\frac{d^2y}{dt^2} + 3\frac{dy}{dt} + 2y = u.$$

- (a) Determine the state variable representation (30%)
- (b) Design a state feedback gain matrix K if we seek a rapid response to a low overshoot, and a settling time of 1 second with $\omega_n=6$. (70%)

Problem M16

Area: Control

Code#_____

Use the Routh-Hurwitz test to find the range of K for which the following characteristic equation is stable.

$$s^4 + 5s^3 + 2s^2 + 4s + K = 0$$

I find a black box on a laboratory bench. The box has one connection marked "input" and one connection marked "output". It is impossible to see what is contained inside the box.

I test it by putting in an ideal Dirac delta, $\delta(t)$, voltage source on the input. I connect the output to an oscilloscope, and notice that it looks 5 e^{-10t} u(t), where u(t) is the unit step function. Based on this measurement, and making no other assumptions about the box, tell me what output you will observe when each of the two signals listed below is put in the input. If you think there is insufficient information provided to answer this question, explain what else you would need to know before you can answer these questions.

- A) Input is -10 $\delta(t+9)$
- B) Input is -10 cos $(2\pi700t-6)$

Problem M22

Area: Communications

Code____

A system has input x(n) and output y(n) where

$$y(n) = \begin{cases} \frac{x(n-20)}{n-20}, & n \ge 0\\ 0, & elsewhere \end{cases}$$

Show whether or not the system is

- a) Linear
- b) Bounded Input/Bounded Output (BIBO) Stable
- c) Time Invariant
- d) Causal

Figure 1 shows three baseband signal pulses.

- 1. Prove or disprove that the pulses are pair-wise orthogonal.
- 2. If there are orthogonal pairs, what value of T ensures that they are orthonormal?
- 3. sketch the signals $x(t) = P_1(t) P_2(t) + P_3(t)$ and $y(t) = P_1(t) + P_2(t)$. Clearly mark all relevant values on the horizontal axis and vertical axis.

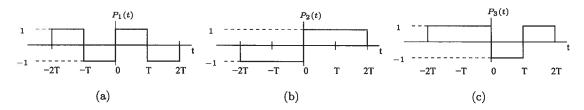


Figure 1: Baseband signal pulses.